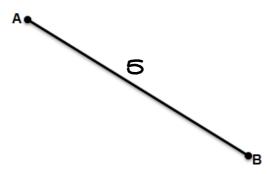
### 1-2 LINEAR MEASURE

Unlike a line, a line segment (or just segment) can be measured because it has two endpoints.



Segment AB has endpoints A and B.

Its name can be written as  $\overline{AB}$  or  $\overline{BA}$ .

The *measure* of  $\overline{AB}$  is written as AB.

For example, we could say AB = 5, but not  $\overline{AB}$  = 5.

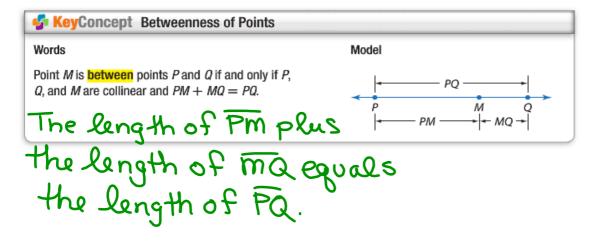
## Betweenness of Points

Recall that between any two real numbers a and b, there is a real number n such that a < n < b.

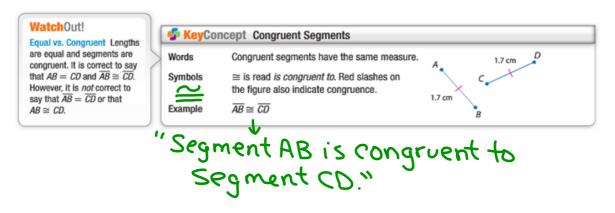
This relationship also applies to points on a line and is called **betweenness of points**.

For example, in this picture, point N is between points A and B, but points R and P are not.

Point Pis NOT collinear with A and B. The following concept of "betweenness of points" is often referred to in Geometry as the **segment** addition postulate:

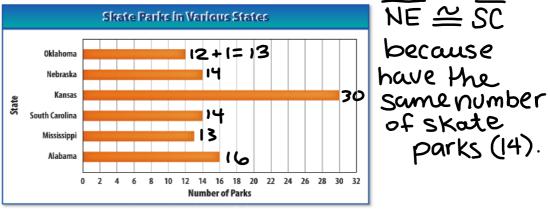


Segments that have the same measure are called congruent segments.



ex.

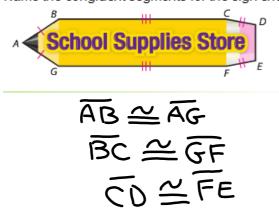
**SKATE PARKS** In the graph, suppose a segment was drawn along the top of each bar. Which states would have segments that are congruent? Explain.



Source: SITE Design Group, Inc.

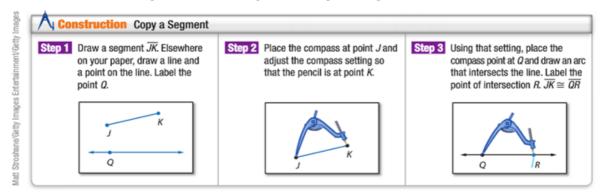
Now, suppose Oklahoma added another skate park. The segment drawn along the bar representing Oklahoma would be congruent to which other segment?

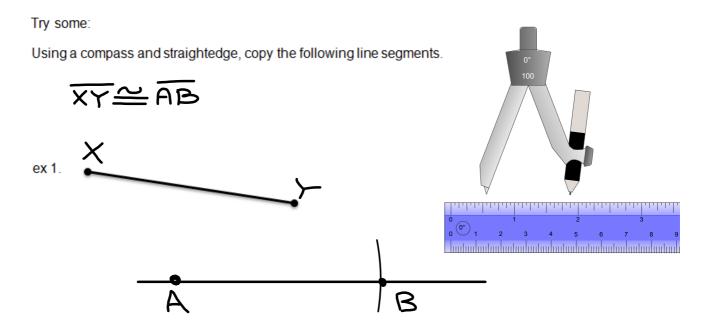
ex. Name the congruent segments for the sign shown here:

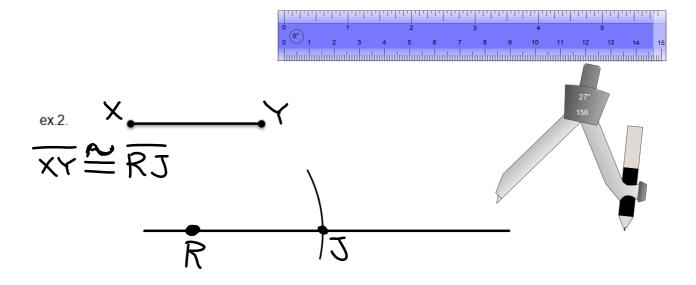


*Drawings* of geometric figures are created using measuring tools such as a ruler and protractor. **Constructions** are methods of creating these figures without the benefit of measuring tools. Generally, only a pencil, straightedge, and compass are used in constructions. *Sketches* are created without the use of any of these tools.

You can construct a segment that is congruent to a given segment.

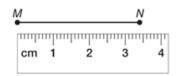






**Measure Line Segments** A part of a line between two endpoints is called a **line segment**. The lengths of  $\overline{MN}$  and  $\overline{RS}$  are written as  $\overline{MN}$  and  $\overline{RS}$ . All measurements are approximations dependent upon the smallest unit of measure available on the measuring instrument.

Example 1: Find the length of  $\overline{MN}$ .



The long marks are centimeters, and the shorter marks are millimeters. There are 10 millimeters for each centimeter. The length of  $\overline{MN}$  is about 34 millimeters.

Example 2: Find the length of  $\overline{RS}$ .



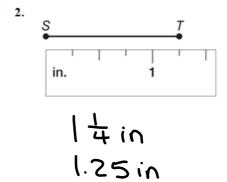
The long marks are inches and the short marks are quarter inches. Point S is closer to the  $1\frac{3}{4}$  inch mark. The length of RS is about  $1\frac{3}{4}$  inches

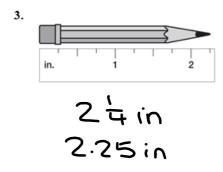
### **Exercises**

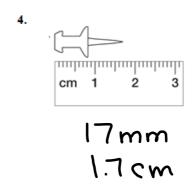
Find the length of each line segment or object.

A B cm 1 2 3

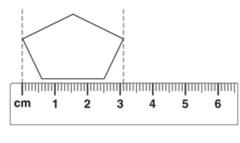
25mm 2.5cm



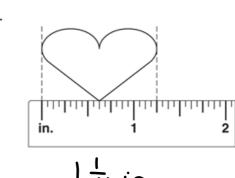








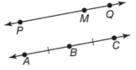
# 6.



Segment addition postulate Calculate Measures On  $\overrightarrow{PQ}$ , to say that point M is between points P and Q

means P, Q, and M are collinear and PM + MQ = PQ.

On  $\overrightarrow{AC}$ , AB = BC = 3 cm. We can say that the segments are **congruent segments**, or  $\overline{AB}\cong \overline{BC}$  . Slashes on the figure indicate which segments are congruent.



### Example 1: Find EF.

3.1 = EF

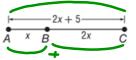
Point D is between E and F. Calculate EF by adding ED and DF.

Simplify.

ED + DF = EFBetweenness of points 1.2 + 1.9 = EFSubstitution

Therefore,  $\overline{EF}$  is 3.1 centimeters long.

### Example 2: Find x and AC.



B is between A and C.

$$AB + BC = AC$$

$$x + 2x = 2x + 5$$

$$3x = 2x + 5$$

$$x = 5$$

Betweenness of points Substitution Add x + 2x. Simplify.

$$AC = 2x + 5 = 2(5) + 5 = 15$$

#### Exercises

Find the measurement of each segment. Assume that each figure is not drawn to scale.

2.8C

AB+BC=AC

23+ 
$$\times$$
 -  $\times$  -  $\times$ 

3. 
$$\overline{XZ}$$

3\frac{1}{2} \text{ in. } \frac{3}{4} \text{ in. } \text{ in. } \frac{3}{4} \text{ in. } \text

4. 
$$\overline{WX}$$
 $W = 0$ 
 $W = 0$ 

$$RS+ST=RT$$
ALGEBRA Find the value of x and RS if S is between R and T.

R. S

5. RS = 5x, ST = 3x, and RT = 48

6. 
$$RS = 2x$$
,  $ST = 5x + 4$ , and  $RT = 32$   
 $RS + ST = RT$   
 $2x + 5x + 4 = 32$   
 $-4 - 4$   
 $7x = 28$   
 $7x = 28$   
 $7x = 4$   
 $RS = 2(4) = 8$ 

7. RS = 6x, ST = 12, and RT = 72

$$RS + ST = RT$$

$$6x + 12 = 72$$

$$-12 - 12$$

$$6x = 60$$

$$x = 10$$

$$RS = 6(10) = 60$$

8. RS = 4x, ST = 4x, and RT = 24

